# Political Economics II Spring 2017

Lectures 4-5
Part II Partisan Politics and Political Agency

Torsten Persson, IIES

## Introduction: Partisan Politics

## Aims

continue exploring policy choice in representative democracy when politicians are "partisan" – like citizens, their preferences are defined over policy outcomes, rather than derived from pure electoral – or rent-seeking – objectives this will introduce another set of "work-horse" models

# Agenda

- A. Electoral competition with given citizen candidates
- B. Endogenous citizen candidates
- C. Agenda setting and legislative bargaining

# A. Electoral competition with given citizen candidates

# 1. Quick rehash of results from Lecture 1

Study one-dimensional size of government example simple model with Condorcet winner and discrete  $y^J \sim F(\cdot)$  voters have no candidate preferences, initially

"Citizen candidates" in Downsian setting

individuals with 
$$y^J = y^C$$
,  $W^C(g) = (y - g)\frac{y^C}{y} + H(g)$ 

2 candidates C = L, R with exogenous ideal points on opposite sides of the median voter's

$$y^{L} < y^{M} < y^{R}, \quad g^{L} = G(\frac{y^{L}}{y}) > g^{M} = G(\frac{y^{M}}{y}) > g^{R} = G(\frac{y^{R}}{y})$$

# 2. Different equilibrium outcomes

# Crucial assumptions

- (V1) voters preferences only over policy  $W^{J}(g)$
- (V2) V1 plus stochastic preferences over candidates
- (P1) politicians can commit to electoral platforms  $(g_L, g_R)$
- (P2) such commitments not feasible

## Outcomes

```
policy convergence: under (V1), (P1), g_L = g_R = g^M
policy divergence: if replace (V1) by (V2), or (P1) by (P2),
g^R \leq g_R < g < g_L \leq g^L
```

But if candidate (party) preferences are endogenous, are we back to policy convergence through convergence of candidate types?

# B. Endogenous citizen candidates

Add entry stage ahead of election

any citizen, with income  $y^C$ , can enter as candidate at cost  $\varepsilon$  stay in size-of-government example ( $\mathcal{J}$  a large number) after entry, model like no-commitment case in Lecture **1.E.2.b** 

# Timing: three stages

- 1. citizens make entry decisions, if no entry  $\Rightarrow g = \overline{g}$ , "status quo" policy
- 2. plurality election among entering candidates, voters cast their ballot *strategically*
- 3. winning candidate chooses policy

# Stage 3

if elected, C with  $y^C$  implements  $g^C = G(\frac{y^C}{y})$ 

# Stage 2

voter in group J casts ballot for C that maximizes  $E[W^J]$ , given strategy of other voters (meaning of strategic voting)

# Stage 1

a member of group J enters only if that raises  $E[W^J]$ , given entry strategy of other candidates

# a. One-candidate equilibria

## Existence?

yes, several equilibria may exist (due to entry cost) of focal interest: will somebody with  $y^M$  run, and win?  $y^M$  beats any other candidate  $y^C$ , as  $g^M$  Condorcet winner

# Equilibrium conditions

 $y^M$  can run uncontested if

$$W^M(g^M) - W^M(\overline{g}) > \varepsilon$$

no other type J finds it profitable to enter, she cannot win against  $y^M$  and entry is costly no other member of group M enters either, this does not change g and entry is costly

# b. Two-candidate equilibria

Existence?

yes, several with 
$$C = L, R$$
  $y^L < y^M < y^R$ 

Two equilibrium conditions

$$W^M(G(\frac{y^L}{y})) = W^M(G(\frac{y^R}{y}))$$

i.e., each candidate has equal chance of winning, and

$$\frac{1}{2}[W^L(G(\frac{y^L}{y})) - W^L(G(\frac{y^R}{y})) > \varepsilon$$

$$\frac{1}{2}[W^R(G(\frac{y^R}{y})) - W^R(G(\frac{y^L}{y})) > \varepsilon$$

i.e., each gains enough expected utility by entering

## Additional condition

3rd candidate does not enter in between  $y^L$  and  $y^R$  voters' equilibrium strategies keep entry unprofitable  $y^L$  and  $y^R$  balance each other, votes from either side of  $y^M$ 

# Implications

never policy convergence in two-candidate equilibria "candidate identity matters", but predictions are not so sharp because of multiplicity

# Why work-horse model?

intuitively appealing

why can it handle multi-dimensional policy problems? because it restricts voter choices to ex-post optimal policies

# C. Agenda setting and legislative bargaining

# 1. General modeling

Two steps in developing generalized agenda-setter model

- (i) first: one-dimensional analysis of politician-initiated referenda among voters readings in syllabus
- (ii) later: multi-dimensional analysis of legislative bargaining among incumbent lawmakers here and many applications

# Incumbent legislators

consider three policy-motivated parties (legislators) J perfect delegates of three groups: each maximizes  $W^J(g)$ 

General introduction, then apply to two generic policy problems

- **2.a** Size of government example, with J = L, M, R
- **2.b** Composition of government example, with J = 1, 2, 3

# Closed-rule, one-round bargaining:

chosen agenda-setter, A, makes take-it-or-leave-it proposal for single majority vote in legislature

# Timing

- 1. nature picks A
- 2. A proposes  $g_A$
- 3. legislature votes:

if at least one of  $J \neq A$  in favor $\Rightarrow g^b = g_A$  if not $\Rightarrow g^b = \overline{g}$ , "status quo" implemented

# Status-quo policy?

 $\overline{g} = 0$  "close down government"

 $\overline{g} > 0$  "last year's policy"

Requirement for acceptable proposal at stage 3

$$W^{J}(g_{A}) \geq W^{J}(\overline{g})$$
 for at least one  $J \neq A$ 

A maximizes  $W^A(g)$  subject to such incentive compatibility

# General properties of $g^b$

- (i) A puts together minimum-winning coalition: seeks support only from one J = X, if g generates conflict of interests
- (ii) X held to status-quo payoff:  $W^X(g_A) = W^X(\overline{g})$  costly to overfulfill incentive compatibility constraint
- (iii) J = N non-coalition member screwed:  $W^N(g_A) \leq W^N(\overline{g})$
- (iv) X is legislator whose vote "cheapest to get" will mean small size  $\alpha^J$  or low status-quo payoff  $W^J(\overline{g})$

# 2. Specific results

# a. Size of government example

Three different income groups

one party each 
$$y^L < y^M < y^R$$
,  $g^J = G(\frac{y^J}{y})$ 

Equilibrium when A = M

$$g^b = g^M$$
 Condorcet winner in legislature

Equilibrium when A = L (A = R case analogous)

$$g^{b} = \begin{cases} g^{L} & \text{if } \overline{g} \geq g^{L} \\ \overline{g} & \text{if } g^{L} \geq \overline{g} \geq g^{M} \\ \text{Min}[g^{L}, \widetilde{g}^{M}] & \text{if } g^{M} > \overline{g} \end{cases}$$

where  $W^M(\widetilde{g}^M) = W^M(\overline{g})$ 

## Intuition

L seeks support only from closest incumbent M cf. properties (i), (iii) and (iv) in  $\mathbf{1}$ 

L never sets g above  $g^L$  and need not go below  $g^M$  A is maximizing

L goes to status quo or equivalent, depending on  $g^M \gtrsim \overline{g}$  cf. property (ii) in **1** 

# Implications

party representing "center group" M politically powerful: member of every coalition

A 's power related to the status quo

# b. Composition of government example

For instance, three different regions J=1,2,3 have one (set of) legislator(s) each

Properties of equilibrium  $g^b$ 

$$g^{b,N} = 0$$

$$H(g^{b,X}) - \alpha^X g^{b,X} - \alpha^A g^{b,A} = H(\overline{g}^X) - \sum_J \alpha^J \overline{g}^J$$

$$H_g(g^{b,A}) = \alpha^A \frac{H_g(g^{b,X})}{H_g(g^{b,X}) - \alpha^X}$$

 $g^{b,N}=0 < g^*$  (property (iii) in **1**)  $g^{b,X} \leq g^*$  depending on parameters (property (ii) in **1**)  $g^{b,A}>g^*$ 

under weak conditions, in particular  $\alpha^{X}$  not too large note that A spends less than if unconstrained, which would mean setting  $H_{g}(g^{b,A}) = \alpha^{A}$ 

## Intuition

if A spends more on her own group, she must raise  $\tau$  then, X is worse off and needs compensation by higher spending equal to  $\frac{dg^X}{dg^A} = \frac{\alpha^A}{H_g(g^{b,X}) - \alpha^X}$ , which costs A  $\alpha^X \frac{dg^X}{dg^A}$  total cost of raising  $g^A$  is  $\alpha^A + \alpha^X \frac{dg^X}{dg^A} = \alpha^A \frac{H_g(g^{b,X})}{H_g(g^{b,X}) - \alpha^X}$ 

Who does A choose as majority partner?

compute cost for each level of  $g^A$  and each prospective majority partner – i.e., solve  $2^{\text{nd}}$  condition for each  $J \neq A \Rightarrow$ 

$$g^J = Z(g^A, \overline{g}^J, \alpha^J) ,$$

where Z increasing in all arguments

pick  $J \neq A$  whose vote is cheapest (property (iv) in **1**)  $\Rightarrow$  pick X such that  $\overline{g}^X$  and/or  $\alpha^X$  are low

# Implications

groups with powerful lawmakers – i.e., with J = A – are better off: their representatives often make policy proposals small, or rather overrepresented, groups – i.e., low  $\alpha^J$  – are better off: their lawmakers often part of coalition and so are "weak" – i.e., low  $\overline{g}^J$  – groups, in apparent contrast with standard, unanimity, bargaining

## 3. Discussion – three natural extensions

Extend to open-rule bargaining

proposals can be amended by other legislator(s) dilutes power of agenda setter, A

Extend to multi-round bargaining

 $A_N \neq A_{N-1}$  makes  $N^{\text{th}}$  round proposal if  $g_{A_{N-1}}$  fails same logic, only  $A_N$  has to offer coalition partner continuation value, rather than status-quo value dilutes agenda-setter power

Extend to multi-period setting with dynamic status quo

$$\overline{g_t} = g_{t-1}$$

strategic concerns enter the setting of current policy

Why work-horse model?

framework is intuitively appealing
it can handle multi-dimensional policy problems
can easily be extended to represent alternative
legislative arrangements – will do so in Lecture 7

# Introduction: Political Agency

## Aims

explore agency problem between voters and elected representatives how serious is it? does it spill over on policy? can voters discipline politicians?

## theory:

begin by slightly extending size of government example modify to illustrate three different functions of elections

# Agenda

- A. Electoral competition with rent-seeking
- B. Electoral accountability
- C. Electoral selection

# A. Electoral competition with rent-seeking

# 1. Policy efficiency

Introduce endogenous rents in size of government model

 $r \geq 0$  interpreted as diversion of funds for personal gain, party finance, or mismanagement of government funds

$$\tau y = g + r \tag{1}$$

 $\mathbf{q} = (g, \tau, r)$  denotes policy vector

Candidate objectives

rewrite as

$$E(v_C) = p_C(R + \gamma r) \tag{2}$$

 $\gamma$  "transaction cost"

direct conflict of interest between politicians and voters

## Voters

rewrite policy preferences

$$W^{J}(\mathbf{q}) = [y - (g+r)]\frac{y^{J}}{y} + H(g)$$

new dimension, r, is a "valence" issue

preferences are again monotonic and well-behaved, despite two dimensions: satisfy condition—for "intermediate preferences" ⇒ Condorcet winner exists

$$g^M = G(\frac{y^M}{y}), \quad r^M = 0$$

Benchmark Downsian model

same assumptions as in Lecture 1

 $y^J \sim F(\cdot)$  discrete with many groups

2 candidates make binding commitment to platforms  $\mathbf{q}_C$ 

# Probability of winning

as before,  $p_A$  is discontinuous in policy

$$p_A = \begin{cases} 0 & \text{if} \quad W^M(\mathbf{q}_A) < W^M(\mathbf{q}_B) \\ \frac{1}{2} & \text{if} \quad W^M(\mathbf{q}_A) = W^M(\mathbf{q}_B) \\ 1 & \text{if} \quad W^M(\mathbf{q}_A) > W^M(\mathbf{q}_B) \end{cases}$$

by monotonicity in  $y^J$ 

# Equilibrium

unique outcome is

$$g_A = g_B = g^M, \quad r_A = r_B = r^M = 0$$

identical to the outcomes in Downsian models with (i) opportunistic and (ii) citizen (partisan) candidates

## Intuition

competition for exogenous rents R is fierce enough  $(p_A \text{ discontinuous in policy})$  to keep endogenous rents r to zero cf. results on policy convergence for partisan candidates another type of political agency (relative to majority of voters)

# 2. Policy inefficiency

Competition may not deliver efficiency when less fierce

Illustrate in probabilistic voting set-up

consider version of model in Lecture 1.3

$$\phi^J = \phi$$
 all  $J$ , timing as in **A.1**

Probability of winning

swing voters in each group

$$\sigma^{J} = W^{J}(\mathbf{q}_{A}) - W^{J}(\mathbf{q}_{B}) - \delta \tag{3}$$

same type of calculations as in Lecture  $1.3 \Rightarrow$ 

$$p_A = \frac{1}{2} + \psi[W(\mathbf{q}_A) - W(\mathbf{q}_B)] \tag{4}$$

# Candidate objectives

if purely opportunistic (maximize  $p_C R$ ), (4) gives efficiency but, here, objective is (2)  $\Rightarrow$  trade-off between r and  $p_C$ intuition analogous to case with partisan candidates

# Equilibrium spending?

candidates converge on policy that maximizes (2), given (4)

$$\frac{\partial E[v_A]}{\partial g_A} = (R + \gamma r_A) \frac{\partial p_A}{\partial g_A} = (R + \gamma r_A) W_g = 0$$

i.e.,  $g = g^*$ , efficient spending

# Equilibrium rents?

may not be driven to zero trade off probability of winning vs. marginal rents

$$\frac{\partial E[v_A]}{\partial r_A} = (R + \gamma r_A) \frac{\partial p_A}{\partial r_A} + p_A \gamma$$
$$= -(R + \gamma r_A) \psi + p_A \gamma \le 0 \quad [r_A \ge 0]$$

we have  $(p_A = \frac{1}{2} \text{ in eq.}), r = \text{Max } [0, \frac{1}{2\psi} - \frac{R}{\gamma}]$ 

# Rents positive if

R small,  $\gamma$  large, or  $\psi$  small

## Intuition

candidates not perfect substitutes (except for swing voters) as probability of winning continuous in r, candidates have room to pursue their own agenda — analog to the results on policy divergence for partisan candidates

# Positive implications

```
r>0 means that \tau>\frac{g^*}{y} rents (measured spending) higher if more illegitimate regimes (low ego-rents): R small weaker checks and balances: \gamma large large electoral uncertainty (weak voter response to r): \psi small (asymmetric popularity: see Problem 4.1 in P-T, 2000)
```

# B. Electoral accountability

Assumption of binding commitment too strong?

enforcement and information problems credibility of platform promises becomes a real issue

## 2nd function of elections

in models, so far, voters act "prospectively", i.e., they select among policies candidates have committed to

now instead: vote to hold incumbent accountable – shapes policymaking incentives when no commitment

all voters have same utility:  $W(\mathbf{q}) = y - (g + r) + H(g)$ and act "retrospectively", to punish bad behavior

# Timing

(i) voters set reservation utilities  $\varpi^i$ , (ii) incumbent I sets policy  $\mathbf{q}_I$ , (iii) election is held

Incumbent objective

$$E[v_I] = \gamma r_I + p_I \beta R \tag{5}$$

reflects new timing

# Opponent

identical to I in all respects (no incumbency advantage)

#### Voter coordination

all voters coordinate on same strategy  $\varpi^i = \varpi$ 

$$p_I = \begin{cases} 1 & \text{if } W(\mathbf{q}_I) > \varpi \\ 0 & \text{otherwise} \end{cases}$$
 (6)

useful to trace out best possible outcome for voters alternative assumption: distribution of reservation utilities, works basically as prior probabilistic voting model (see model in **C**)

Basic incentive constraint

intertemporal trade off for I

$$\gamma r_I + \beta R \ge \gamma y \tag{7}$$

comply (LHS): hold back to get re-elected and earn future rents deviate (RHS): maximize current diversion give up re-election

Best feasible policy for voters?

maximize  $W(\mathbf{q})$  subject to (7) and (1)  $\Rightarrow$ 

$$r^* = \operatorname{Max} \left[0, y - \frac{\beta R}{\gamma}\right]$$

$$g^{**} = \operatorname{Min} \left[g^*, \frac{\beta R}{\gamma}\right] \quad [\tau \le 1]$$
(8)

I gets away with some rents, unless  $\beta R$  high,  $\gamma$  and y low – cf. results in **A.2.** 

How can voters implement (8)?

I sets policy according to (8) to earn re-election if voters set  $\varpi$  at

$$\varpi^* = y - (g^{**} + r^*) + H(g^{**})$$

Extension: asymmetric information (about cost of g)
more complex case I earns additional (state-dependent) rents
voters worse off

## C. Electoral selection

3rd role of elections

neither select policy, nor reward good behavior, but rather select competent leader assume that competence (ability): (i) comes in different types, (ii) affects performance, and (iii) lasts over time

Simplified two-period model – election at end of period 1 period utility of voter i

$$w_t^i = y - \tau_t + \alpha g_t - D_2^I \sigma^i \tag{9}$$

linearity in  $g \Rightarrow \text{risk neutrality}$ 

 $\sigma^i$  taste bias against  $I_1$ , uniform on  $\left[-\frac{1}{2\phi}, \frac{1}{2\phi}\right]$ 

 $D_1^I = 0$ ,  $D_2^I > 0$  only applies in period 2 if  $I_1$  re-elected note: there is no average popularity shock  $\delta$ , but "ability" shock  $\eta$  (see below) will play similar role

# Government policy

$$g_t = \overline{\tau} - r_t + \eta_t + \nu_t \tag{10}$$

 $\tau_t$  fixed at  $\overline{\tau}$ ,  $r_t \leq \overline{r}$ , i.e., upper bound on  $r_t$ 

 $\eta_t$  any new politician's ability is iid  $\sim N(\overline{\eta}, \text{Var}(\eta))$  but lasting over time – see below

 $\nu_t$  productivity shock is iid  $\sim N(0, \text{Var}(\nu))$ 

## Incumbent objective

$$E(v_I) = \ln(r_1) + p_I \beta [(R + E(\ln(r_2)))]$$
 (11)

set  $\gamma = 1$ , add curvature over rents, to get simple solutions

# Assumptions about politician ability

 $I_1$  does not know  $\eta_1$  (and  $\nu_1$ ) when sets  $r_1$  (avoid signaling), as in Holmström's career-concern model

 $I_1$  re-elected:  $\eta_2^I = \eta_1^I$  (incumbent ability lasts),  $E(\eta_2^I) = E(\eta_1^I)$ 

 $I_1$  ousted:  $E(\eta_2^O) = \overline{\eta}$  (opponent expected to have average ability)

## Period 2 choice of r

all incumbents set  $r_2 = \overline{r}$  (as world ends)

$$\Rightarrow$$
 from (9)-(10)  $E(g_2) = \overline{\tau} - \overline{r} + E(\eta_2^C), C = I, O$  and

$$E(w_2^i) = y - \overline{\tau} + \alpha(\overline{\tau} - \overline{r} + E(\eta_2^C)) - D_2^I \sigma^i$$

voters like able politicians better, ceteris paribus

Optimal voting strategy

 $I_1 \text{ has } E(\eta_2^I) = E(\eta_1^I), \text{ opponent has } E(\eta_2^O) = \overline{\eta}$   $\Rightarrow \text{ vote for } I_1 \text{ if } \sigma^i < \alpha [E(\eta_1^I) - \overline{\eta}] \text{ such that}$  $\pi_I = \frac{1}{2} + \phi \alpha [E(\eta_1^I) - \overline{\eta}]$ (12)

is vote share of incumbent

Information at t=1 pins down  $E(\eta_1^I)$ : we will study two cases

- **1.** informed voters: observe  $g_1$  and  $\nu_1 \Rightarrow E(\eta_1^I \mid g_1, \nu_1)$
- **2.** uninformed voters: observe only  $g_1 \Rightarrow E(\eta_1^I \mid g_1)$

## 1. Informed voters

Voters' inference problem

given (10), can perfectly gauge incumbent ability  $\Rightarrow$ 

$$E(\eta_1^I \mid g_1, \nu_1) = \eta_1^I = g_1 - \overline{\tau} + r_1^* - \nu_1, \tag{13}$$

where  $r_1^*$  is expected equilibrium rents

Incumbent choice of r

when  $I_1$  sets  $r_1$  uncertain about  $\eta_1$  (and  $\nu_1$ ) and hence  $g_1$ , so has to form an expectation  $\mathbb{E}(E(\eta_1^I \mid g_1, \nu_1))$ 

knows how  $E(\eta_1^I \mid g_1, \nu_1)$  is formed and takes  $r_1^*$  as given by (10), (12) and (13), his anticipated vote share conditional on  $\eta_1$  and  $r_1$  becomes

$$\pi_I = \frac{1}{2} + \phi \alpha [\eta_1^I - \overline{\eta} + r_1^* - r_1]$$

and the perceived probability of winning is

$$p_I = \text{Prob}_{\eta} \left[ \pi_I \ge \frac{1}{2} \right] = 1 - F(\overline{\eta} - r_1^* + r_1)$$
 (14)

where F is the c.d.f. of  $\eta$  – clearly, larger  $r_1$  cuts (perceived)  $p_I$ 

# Optimal policy

maximize (11) over  $r_1$  subject to (14), and set  $r_2 = \overline{r}$  to get

$$r_1 = \frac{1}{f(\overline{\eta} - r_1^* + r_1)\beta \widetilde{R}}$$

where  $\widetilde{R} = R + \ln(\overline{r})$ , and f is the p.d.f. of  $\eta$ 

# Equilibrium

voters expectations are correct, such that  $r_1^* = r_1$ , and

$$r_1 = \frac{1}{f(\overline{\eta})\beta \widetilde{R}}$$

# Interpretation

voters look like they follow retrospective strategy, rewarding high performance (utility) with re-election but current performance is an indicator of future ability and this creates an intertemporal trade-off for  $I_1$ 

# Positive implications

rents higher (cf. results in  $\mathbf{A}$  and  $\mathbf{B}$ ) when electoral reward is small:  $\beta \widetilde{R}$  low electoral uncertainty is large:  $f(\overline{\eta})$  low, i.e.,  $\text{Var}(\eta)$  large like result in  $\mathbf{A.2}$  about uncertainty over  $\delta$  (value of  $\psi$ )

## 2. Uninformed voters

Voters' inference problem

can no longer gauge  $\eta_1^I$  perfectly, as  $\nu_1$  unobserved using (10), they can only infer the sum  $\Rightarrow$ 

$$E(\eta_1^I + \nu_1 \mid g_1) = \eta_1^I + \nu_1 = g_1 - \overline{\tau} + r_1^* , \qquad (15)$$

let voters form an optimal (OLS) estimate of  $\eta_1^I$ , given that they see  $E(\eta_1^I + \nu_1 \mid g_1)$  and have unconditional (prior) mean  $\overline{\eta}$ 

This yields

$$E(\eta_1^I \mid g_1, \overline{\eta}) = h_{\eta} \overline{\eta} + h_{\nu} E(\eta_1^I + \nu_1 \mid g_1) , \qquad (16)$$

where 
$$h_{\eta} = \frac{\text{Var}(\nu)}{\text{Var}(\eta) + \text{Var}(\nu)}$$
 and  $h_{\nu} = \frac{\text{Var}(\eta)}{\text{Var}(\eta) + \text{Var}(\nu)}$ 

observation of  $g_1$  is less (more) valuable in inference about  $\eta_1^I$  the more (less) noisy is  $\nu_1$ 

# Incumbent expectations

by (10), (12), (15) and (16), I forms an expectation about voters' expectations  $\mathbb{E}(E(\eta_1^I \mid g_1, \overline{\eta}))$  and anticipates vote share

$$\pi_I = \frac{1}{2} + \phi \alpha h_{\nu} [\eta_1^I + \nu_1 - \overline{\eta} + r_1^* - r_1]$$

 $\pi_I$  responds less to rents when voters uninformed perceived probability of winning is

$$p_I = \text{Prob}_{(\eta + \nu)} \left[ \pi_I \ge \frac{1}{2} \right] = 1 - G(\overline{\eta} - r_1^* + r_1)$$
 (17)

where G is the c.d.f. (with p.d.f. g) of random variable  $\eta + \nu$  sum of two normals, mean  $\overline{\eta} + 0$  and variance  $\text{Var}(\eta) + \text{Var}(\nu)$ 

# Optimal policy

maximize (11) over  $r_1$  subject to (17) to get

$$r_1 = \frac{1}{g(\overline{\eta} - r_1^* + r_1)\beta \widetilde{R}}$$

In equilibrium  $(r_1^* = r_1)$ 

$$r_1 = \frac{1}{g(\overline{\eta})\beta \widetilde{R}}$$

Compare to the case with informed voters

G, distribution of  $\eta + \nu$ , has same mean (i.e.,  $\overline{\eta}$ ), but larger variance (i.e.,  $Var(\eta) + Var(\nu)$ ) than F, distribution of  $\eta$  therefore, it must be that  $g(\overline{\eta}) < f(\overline{\eta})$ 

so  $r_1$  is larger with uninformed voters, and more so the larger is  $Var(\nu)$  – the more difficult is inference about  $\eta$ 

## 3. Discussion – three natural extensions

Informed and uninformed voters

combination of 1 and 2

larger share of uninformed (less availability of media) implies larger rents and smaller voting response to misbehavior

Embed in multi-period model

elections every two periods, and MA process for  $\eta \Rightarrow$  electoral cycle: cut r (raise spending) in election periods, unless there is a term limit

Assume  $\eta$  known by incumbent  $\Rightarrow$  incentives to signal more complex solution, but many results similar